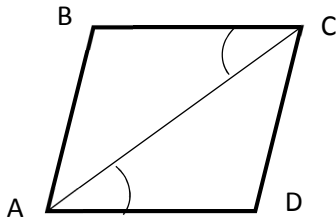


1(7). Consider the figure below.

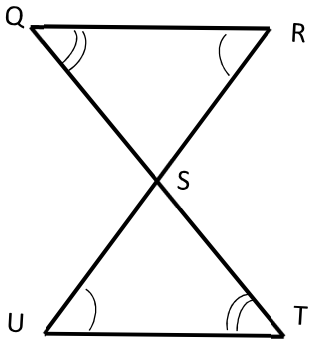
a. What additional information would you need to show that  $\triangle CBA \cong \triangle ADC$  by ASA?



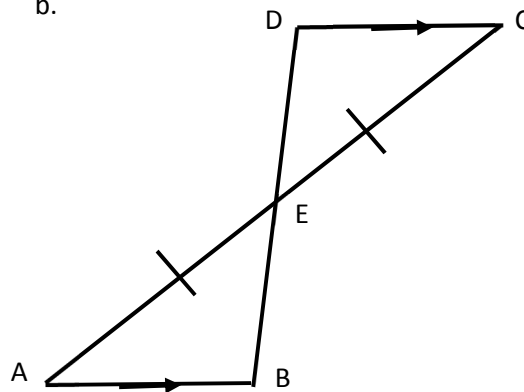
b. Is  $\overline{BC} \parallel \overline{AD}$ ? Justify your answer.

2(16). For each of the four figures below, determine whether or not the pair of triangles illustrated are congruent. If they are, state the congruence and the property (e.g.  $\triangle XYZ \cong \triangle UVW$  by SAS). Write “not enough information” if it is not possible to determine whether or not the triangles are congruent.

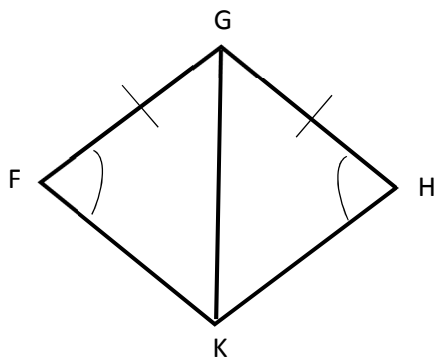
a.



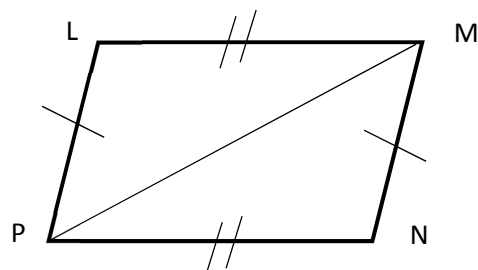
b.



c.



d.



3(12). a. Translate the following statement into an equivalent “If—then—” statement:

**Opposite sides of a parallelogram are congruent.**

b. Write the converse of the statement in part a.

c. Write the contrapositive of the statement in part a.

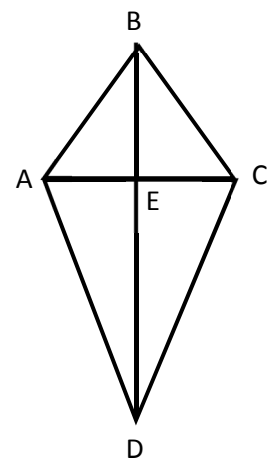
d. Which of the statements you wrote in parts b and c are equivalent to your statement in part a?

4(18). Fill in the missing statements and reasons in the following two-column proof.

Given:  $\overline{AB} \cong \overline{BC}$ ;  $\overline{AD} \cong \overline{CD}$

Prove:  $\overline{AC} \perp \overline{BD}$

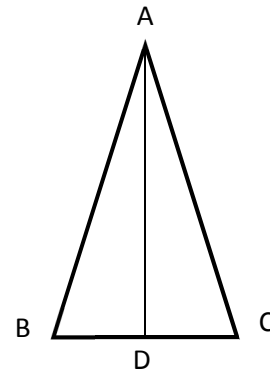
Statement	Reason
1.	1. Given
2.	2. Reflexive property
3. $\triangle ABD \cong \triangle CBD$	3.
4. $\angle ABD \cong \angle CBD$	4.
5. $\overline{BE} \cong \overline{BE}$	5.
6. $\triangle ABE \cong \triangle CBE$	6.
7. $\angle AEB \cong \angle CEB$	7.
8. $\angle AEB$ is supplementary to $\angle CEB$	8.
9. $\angle AEB$ and $\angle CEB$ are right angles	9. A pair of angles which are both supplementary and congruent are right.
10.	10. Definition of perpendicular lines



5(4). Find the flaw in the following “proof.”

Given:  $\overline{AB} \cong \overline{AC}$

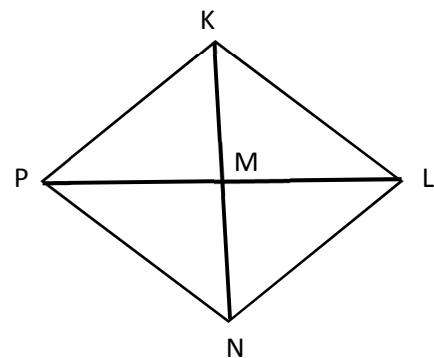
Prove:  $\angle ABC \cong \angle ACB$



Statement	Reason
1. $\overline{AB} \cong \overline{AC}$	1. Given
2. Draw $\overline{AD}$ , the perpendicular bisector of $\overline{BC}$	2. There is a unique perpendicular bisector from a point to a line
3. $\angle ADB = \angle ADC = 90^\circ$	3. Definition of perpendicular lines
4. $\overline{BD} \cong \overline{CD}$	4. Definition of bisect
5. $\overline{AD} \cong \overline{DA}$	5. Reflexive property
6. $\angle ADB \cong \angle ADC$	6. All right angles are congruent
7. $\triangle ADB \cong \triangle ADC$	7. SAS
8. $\angle ABC \cong \angle ACB$	8. CPCTC

6(12). Consider figure KLNP at right.

Answer each of the following statements as True or False.



- If KLNP is a rhombus, then  $\overline{KN} \cong \overline{LP}$
- If KLNP is a rhombus, then  $\triangle KMP \cong \triangle KML$
- If KLNP is a rhombus, then  $\triangle KPN \cong \triangle LNP$
- If KLNP is a rectangle, then  $\overline{KN} \cong \overline{LP}$
- If KLNP is a rectangle, then  $\triangle KMP \cong \triangle KML$
- If KLNP is a rectangle, then  $\triangle KPN \cong \triangle LNP$

7(12). In each case below, draw a Venn diagram that illustrates the appropriate relationship among the sets listed.

a. right triangles, isosceles triangles, and equilateral triangles

b. rhombuses, kites, and parallelograms

c. parallelograms, rectangles, quadrilaterals with congruent diagonals

8(9). Complete the following proof by filling in the blanks to make a logical argument.

**Prove: The diagonals of a parallelogram bisect each other.**

Since the opposite sides of a parallelogram are congruent,  
 $\overline{AB} \cong \overline{CD}$ .

By definition, the opposite sides of a parallelogram are  
 \_\_\_\_\_, so  $\overline{AB} \parallel \overline{CD}$ .

We know  $\angle BAM \cong \angle DCM$  and  $\angle ABM \cong \angle CDM$  because  
 \_\_\_\_\_

So  $\triangle ABM \cong \triangle CDM$  by \_\_\_\_\_.

Therefore  $\overline{AM} \cong \overline{MC}$  and  $\overline{BM} \cong \overline{DM}$  because \_\_\_\_\_.

