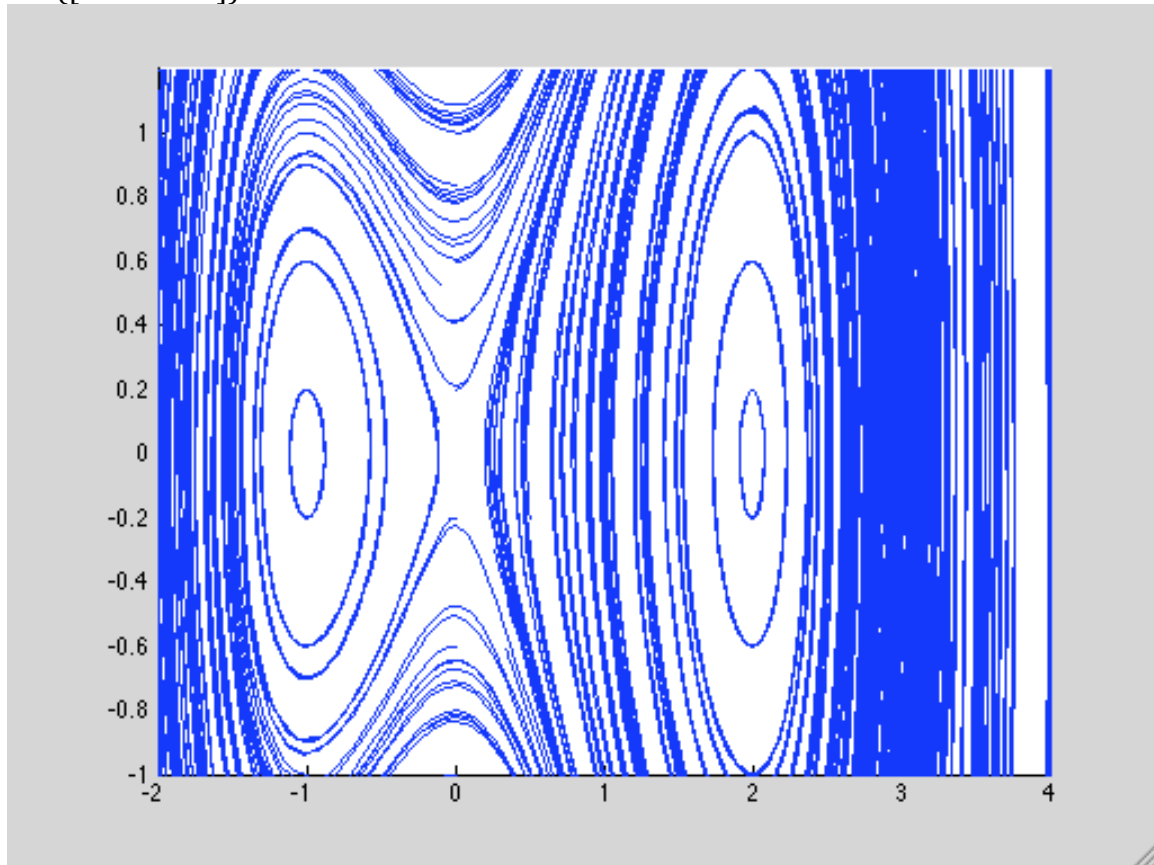


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```
warning off all
f=@(t,x) [x(2);-c*(x(2))^3-x(1)*(x(1)+1)*(x(1)-2)];
figure; hold on
for a=-1:.5:4
    for b=-1:0.4:4
        for c=0:.1:1
            [t, xa]=ode45(f, [0 10], [a b]);
            plot(xa(:,1), xa(:,2))
            [t, xa]=ode45(f, [0 -5], [1 b]);
            plot(xa(:,1), xa(:,2))
        end
    end
end
axis([-2 4 -1 1.2])
```



There are two centers of rotation in the graph around $x=-1$ and $x=2$. These are the critical points of the system. As c increases, the radius of the oval increases, so the value over which the population (I am assuming this is a population problem) is increasing and decreasing is increased. So as time goes on, the population experiences two jumps in population and then decreases.